IAT -- Intermediate Algebra & Trig -- Quest #4 -- Chapter 9 -- 85 points

As usual, show all your work. Graph carefully AND neatly. Failure to do so may result in loss of score.

- 1) For ten points, draw the proper conic diagram in the box at right and show how we get the four conic sections besides points and lines from it. Label them.
- Show how we derived the distance formula. Use as your points (x, y) and (h, k) and call the distance between them r. Five points.



 For one point apiece, merely identify which conic section each of these equations corresponds to. Write C for circle, E for ellipse, H for hyperbola, P for parabola, or N for none of these.

a)
$$3x^2 - 7x + 7y^2 + 3y - 9 = 0$$

b) $12x - 4y^2 + 16y = 20$
c) $4x^2 + 12y - 27 = 4y^2 + 18x$
d) $y = \frac{3}{4}x - 8$
e) $(y - 2.6)^2 + x^2 = 9$

For five points each, put each of these conic sections in standard form:

4) $y^2 + 14x - 12y + x^2 = 15$ 5) $9x^2 + 4y^2 - 18x + 24y + 9 = 0$

Short Answer/Fill-in. Be clear and complete in your answers. Three points each.

6)	A hyperbola is defined as the locus
7)	A parabola is the locus of all points whose distances from a given point, called the, and a
	line, called the, is a constant.
8)	The midpoint of the segment joining the points (-17, 4) and (11, - 2) is
9)	The distance between the points (-9, 23) and (-3, 31) is (Show work for credit)

10) The point (4, 3) lies on a circle whose center is the origin. The equation in standard form of that circle

is: _____

Calculations and Graphing. Show your work. Five points each.

11) The graph of an ellipse is given by:
$$\frac{x^2}{16} + \frac{y^2}{4} = 4$$

a) Identify the x-intercepts. b) Identify the y-intercepts. c) Identify the foci.

- 12) Write the formula for a parabola, open concave right, whose vertex is on the origin and whose focus is at the point (1/8, 0).
- 13) The vertices of a triangle are (-1, 3),(5, 2) and (3, 6). Is the triangle
 - scalene equilateral
 - iosceles congruent

(circle one)

- 14) Write the equation of a circle whose center is at (14, -13) and has a radius of 5.
- 15) Write an equation of the hyperbola whose asymptotes are y = 2/3 x and y = -2/3x and has vertices at (4, 0) and (-4, 0).

16) Write the equation of an ellipse whose center is at the origin, has a semi-minor axis of 5 and foci at (0, 12) and (0, -12).

Graph each equation below neatly and carefully. Label the values on your axes. PENCIL only.

17)
$$13x^2 + 325y^2 = 325$$

18) $(x+3)^2 + (y-3)^2 = 4$



